

Efficiency Evaluation and Improvement of Coordinated Transaction Scheduling

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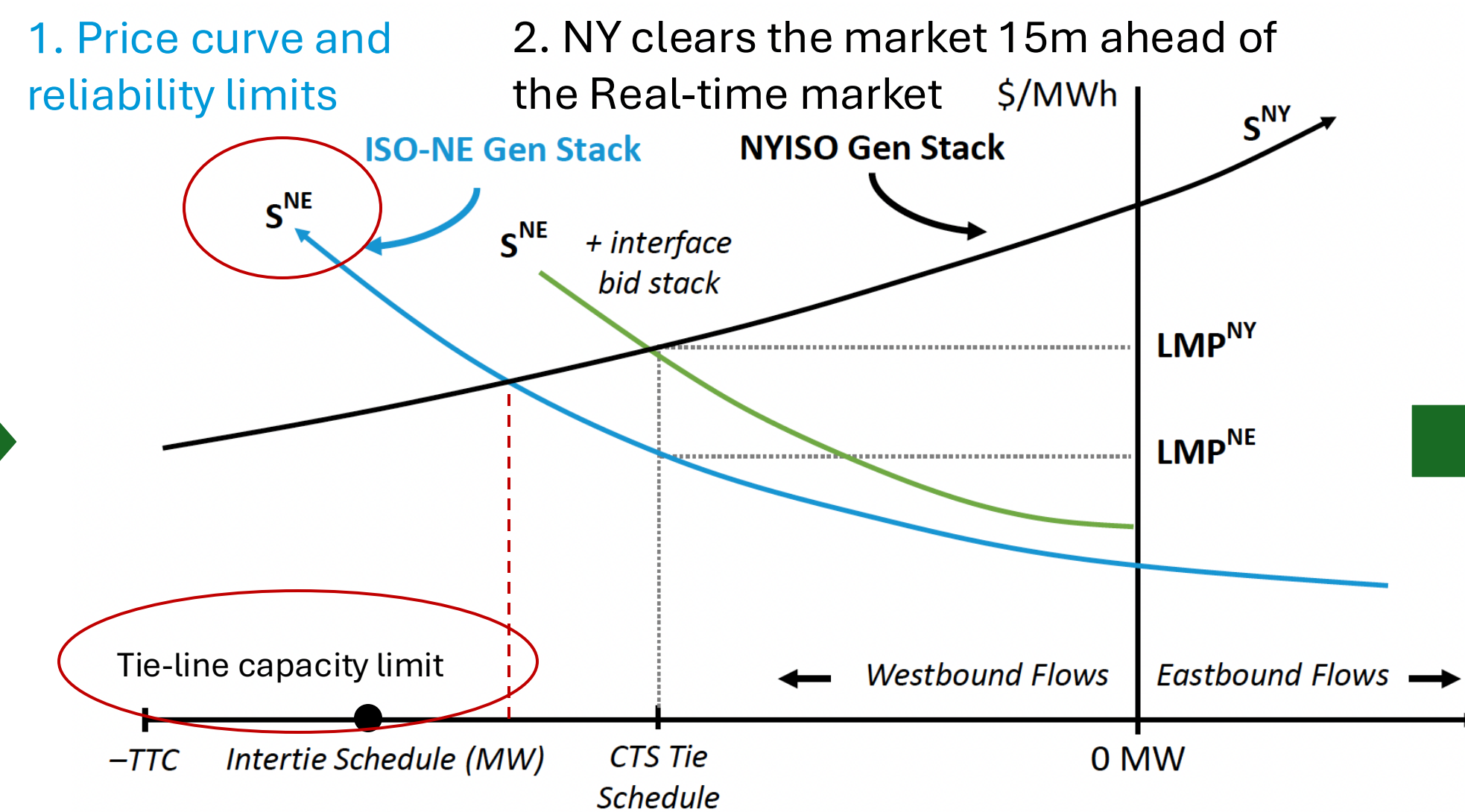
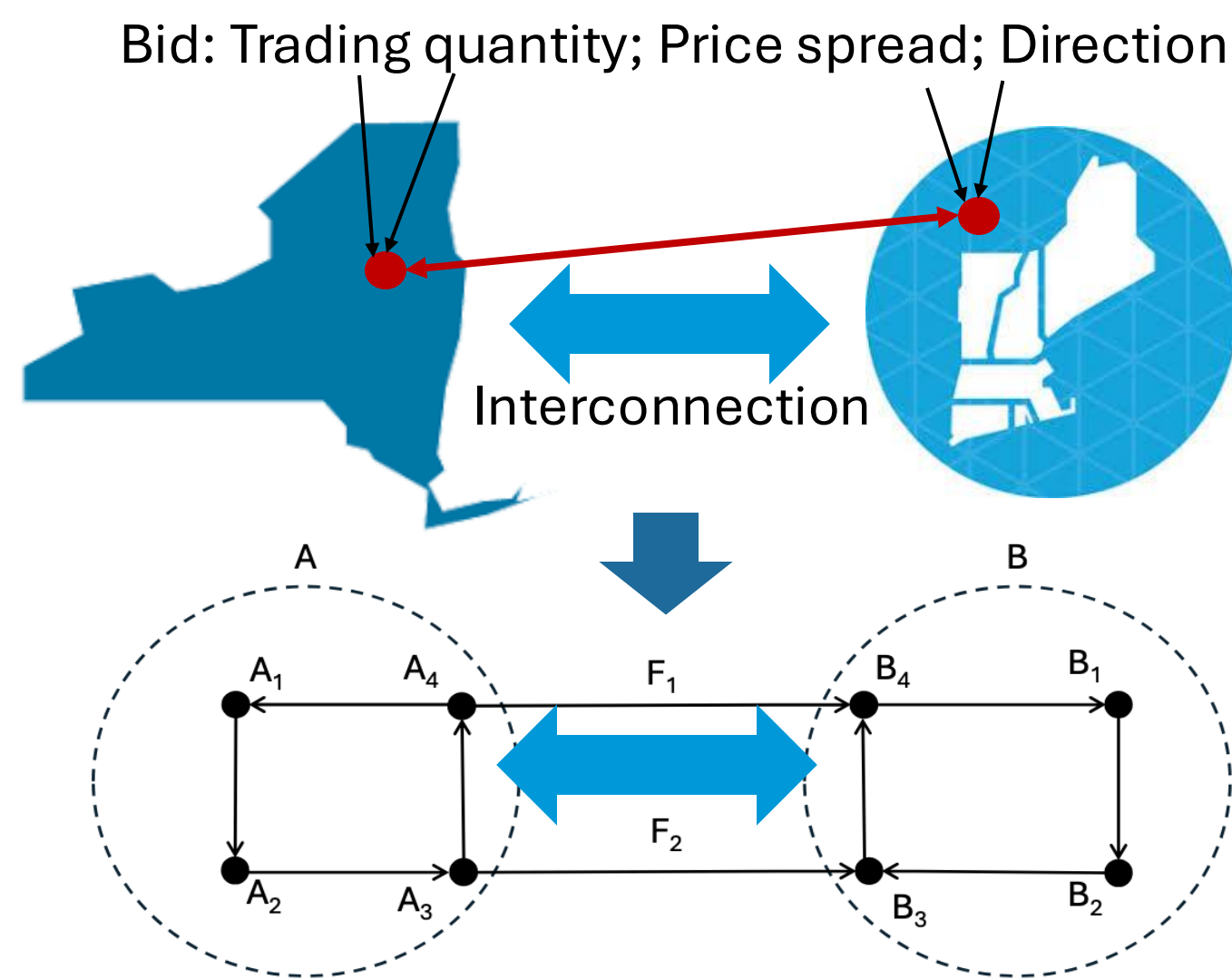
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Coordinated Transaction Scheduling



Research questions:

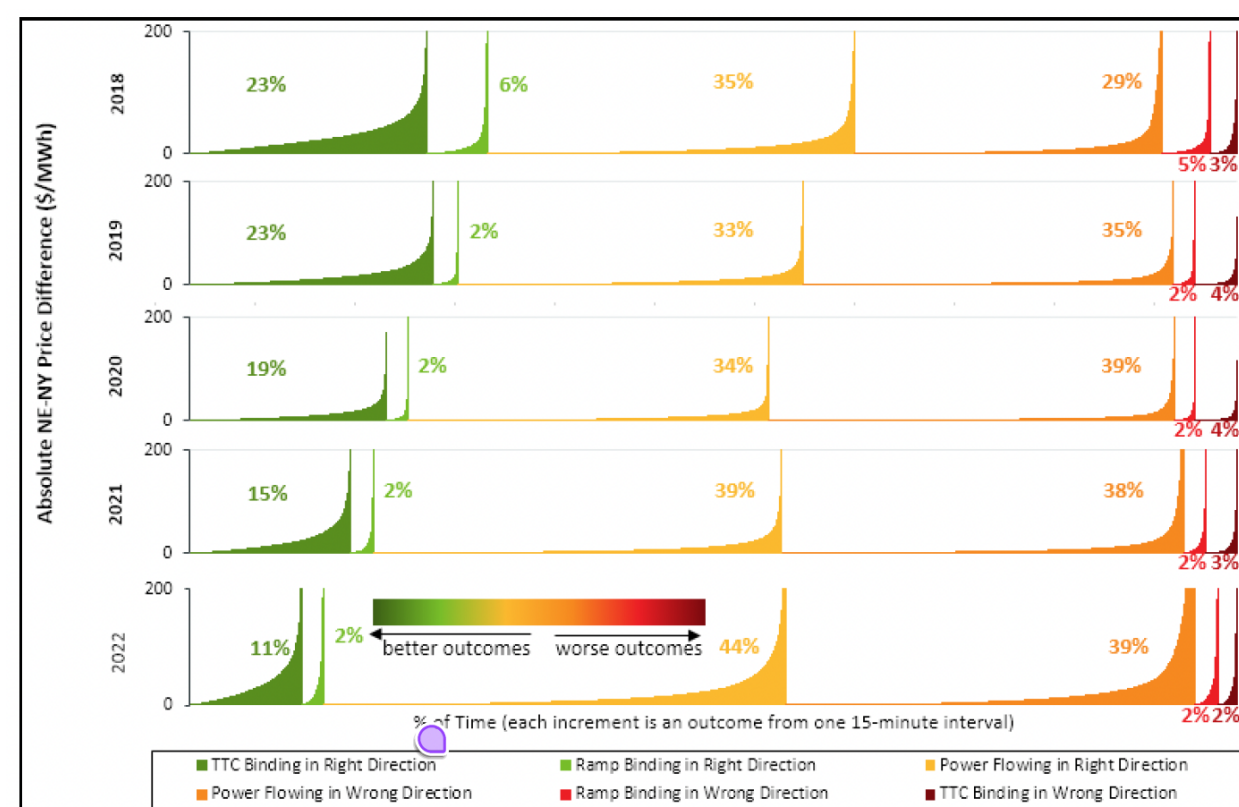
Find a proxy price reflects economic flow direction

Impact of hedging behavior on the CTS efficiency

Future work:

CTS settlement-focused LMP forecasting methods

Regional Proxy Price



Internal Market Monitor reports show CTS flow in a bad economic performance

Reason:

- The benchmark to evaluate economic performance is unsuitable
- CTS is really bad

Our way:

- Find a scalar function: Proxy Price = $f(\text{LMP})$
- A static function about distributions on node

Theorem:

Except for three special cases, there is no scalar function mapping LMP π to proxy price λ independent to the operating conditions σ

Joint economic dispatch of two regions:

Primal variable:

- Generation
- interface flow
- nodal power injection

g_i

f_{tie}

p_i

Focus on the shadow price of each constraints:

- Line congestion
- Nodal power balance (KCL)
- Power balance in each area
- Interface congestion

σ

π

λ_A, λ_B

μ

Stationarity:

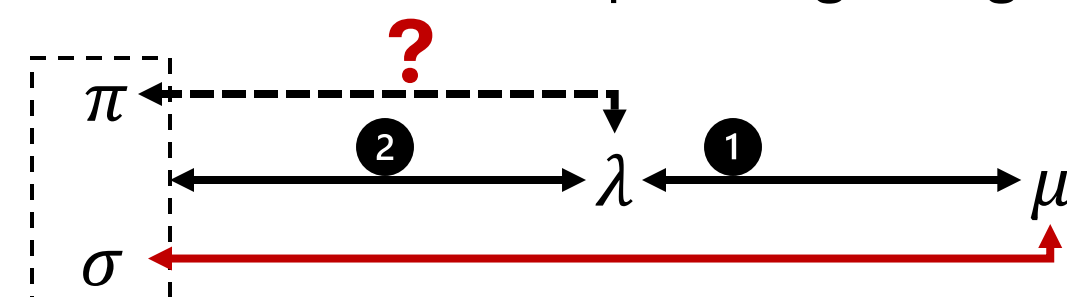
$$f_{\text{tie}}: \lambda_A - (\lambda_B - \gamma) - \mu^- + \mu^+ = 0. \quad (1)$$

Reflect the economic flow direction regarding area shadow price

$$p_i: 0 = \pi_i - \lambda_A + (H^T \sigma)_i - h_{\text{tie},i}^T \gamma, \forall i \in N_A, \quad (2)$$

$$0 = \pi_i - \lambda_B + (H^T \sigma)_i - h_{\text{tie},i}^T \gamma, \forall i \in N_B.$$

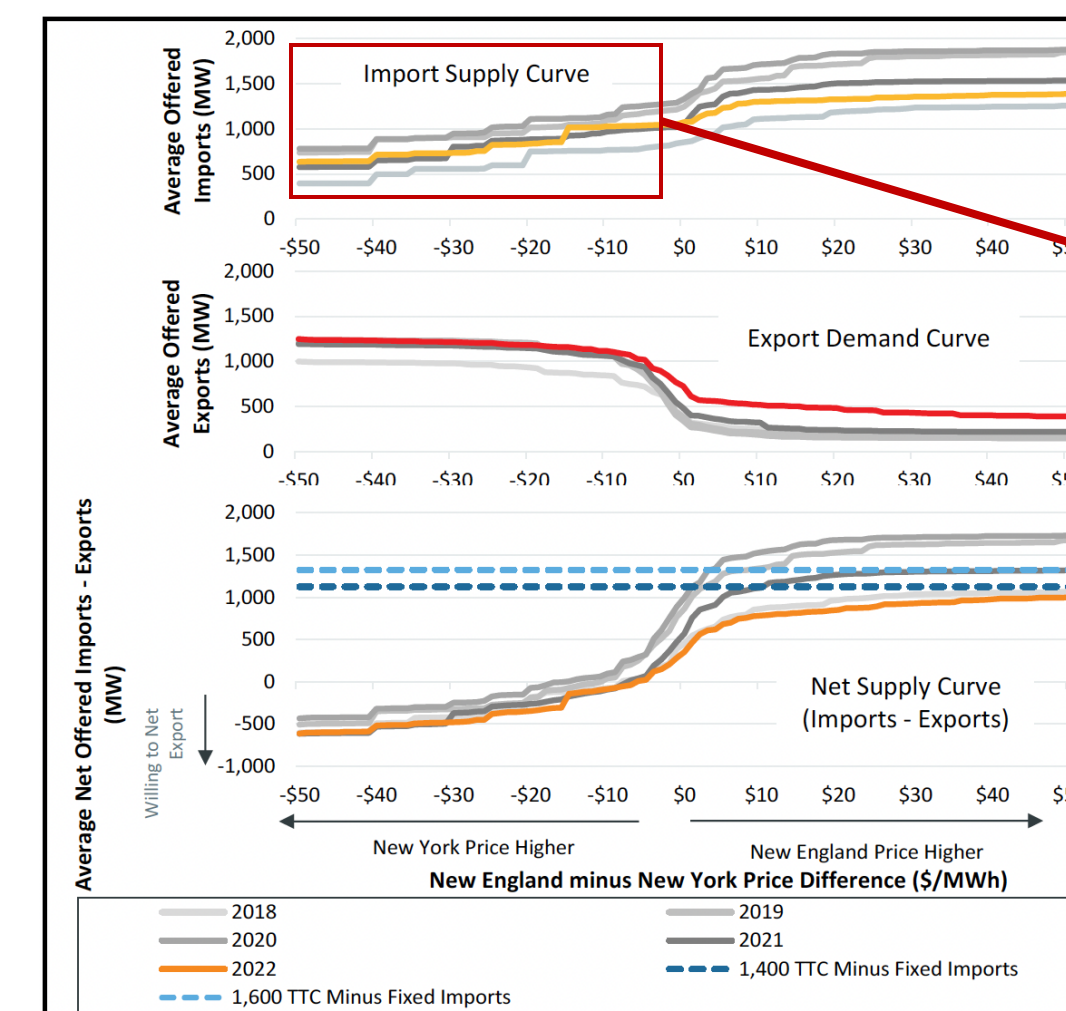
Reflect area shadow price regarding LMP



Special cases:

- Only interface binding, all lines are not
- Interface not binding
- Only one tie-line in the interface

Hedging Behavior



Internal Market Monitor reports show aggressive CTS bidding behavior

Phenomenon:

- Clearing price reduced, so more likely to have reverse prices in real-time settlement
- Clearing amount increases, possibly resulting in greater social welfare

Supply function bidding and game formulation: Let the linear bidding function as $q_i = C_i(P)$

- Hedger, $C_j(0) = B_j, C_j'(q_i) \approx 0 \rightarrow$ Payoff: $\pi_i = q_i P(Q) - \int_0^{q_i} C_i^{-1}(s) ds$
- Arbitrager, $C_j(0) \approx 0, C_j'(q_i) > 0$
- Nash game exists unique Nash equilibrium
- Three regions with hedgers

With forecast error

- Demand curve $P = \alpha - \beta Q$ with $\alpha_r = \alpha_f + \varepsilon_\alpha, \beta_r = \beta_f + \varepsilon_\beta$, the imbalance flow is $Q = \left| Q_f - \frac{\alpha_r}{\beta_r} \right|$

M. Ndrjo, S. Bose, L. Tong and Y. Guo, "Coordinated Transaction Scheduling in Multi-Area Electricity Markets: Equilibrium and Learning," in IEEE Transactions on Power Systems, vol. 38, no. 2, pp. 996-1008, March 2023

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